

# SINTASSI DEI PROGRAMMI

Prog ::= Block

Block ::= { DecComList }

DecComList ::= Declist ComList | ComList

Declist ::= Dec | Dec Declist

Comlist ::= Com | Com Comlist

Dec ::= Type Ide ; | Type Ide = Exp ;

con inizializzazione

Type ::= int | ...

int y = 10;  
int x;

# SEMANTICA DELLE DICHIARAZIONI

Dec ::= Type Ide ; | Type Ide = Exp ;

$Sem_d : Dec \rightarrow P \rightarrow M \rightarrow P * M$

x	l
	e'
	e''
	e'''

e

l	10

$\mu$

int x = 10 ;

l locazione "LIBERA"  
in  $\mu$

$$\text{succloc} : M \rightarrow \text{loc}$$

se  $\text{succloc } \mu = l$  allora  $(\mu l) = \perp$

$l$  è libera in  $\mu$

Sem<sub>d</sub>  $T x; l \mu = l \left[ \frac{l}{x} \right]^{\text{odd}}, \mu \left[ \frac{?}{l} \right]^{\text{odd}}$

dove  $l = \text{succloc } \mu$

$$\text{Sem}_d \quad T x = e; \quad \ell \mu = \ell \begin{bmatrix} \ell \\ x \end{bmatrix}^{\text{odd}}, \quad \underline{\underline{\mu \begin{bmatrix} v \\ \ell \end{bmatrix}^{\text{odd}}}}$$

dove

$$\ell = \text{succloc } \mu$$

$$\underline{\underline{v = \text{Sem}_{\text{exp}} \ell \ell \mu}}$$

$$\text{Sem}_{\text{dlist}} : \text{Declist} \rightarrow P \rightarrow M \rightarrow P * M$$

$$\text{Dlist} ::= \text{Dec} \mid \text{Dec Dlist}$$

caso base •

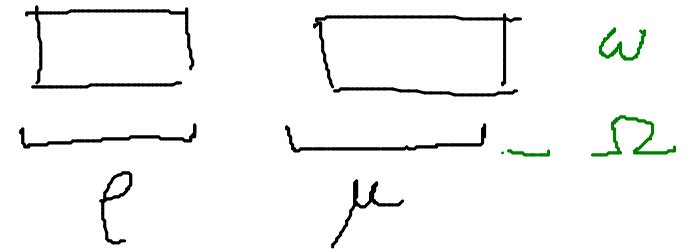
$$\text{Sem}_{\text{dlist}} d \rho \mu = \text{Sem}_d d \rho \mu \quad d \in \text{Dec}$$

caso ricorsivo •

$$\text{Sem}_{\text{dlist}} d ds \rho \mu = \text{Sem}_{\text{dlist}} ds \rho' \mu'$$

$$\text{dove } \langle \rho', \mu' \rangle = \text{Sem}_d d \rho \mu$$

$$\underbrace{\int x = 10; \int y = x + 2; }_{\substack{\uparrow d1 \\ \uparrow d2}} ds$$



$$\text{Sem}_{\text{dist}} ds \quad w \cdot \Omega \quad w \cdot \Omega$$

$$= \left\{ \begin{array}{l} 2^\circ \text{ caso di } \text{Sem}_{\text{dist}}, \\ \text{Sem}_d d1 \quad w \cdot \Omega \quad w \cdot \Omega = \langle \rho', \mu' \rangle \end{array} \right\}$$

$$\text{Sem}_{\text{dist}} d2 \quad \rho' \mu'$$

$$= \left\{ 1^\circ \text{ caso di } \text{Sem}_{\text{dist}} \right\}$$

(\*)

$$\text{Sem}_d d2 \quad \rho' \mu'$$

$$\begin{aligned} & \text{Sem}_d \int x = 10; \quad \underline{w \cdot \Omega} \quad \underline{w \cdot \Omega} \\ & = \left\{ \begin{array}{l} l1 = \text{succolo } w \cdot \Omega \end{array} \right\} \\ & \left\langle \underbrace{w \left[ \frac{l_1}{x} \right]^{\text{add}} \cdot \Omega}_{\rho'}, \underbrace{w \left[ \frac{10}{l_1} \right]^{\text{add}} \cdot \Omega}_{\mu'} \right\rangle \end{aligned}$$

$$\text{Sem}_d \text{ int } (y) = x+2 \quad \underbrace{\omega \left[ \frac{l_1}{x} \right]^{\text{odd}}}_{\rho'} \cdot \Omega \quad \underbrace{\omega \left[ \frac{10}{l_1} \right]^{\text{odd}}}_{\mu'} \cdot \Omega$$

$$= \left\{ \text{Sem}_{\text{exp}} \quad x+2 \quad \rho' \mu' = 12, \quad l_2 = \text{succloc } \mu' \right\}$$

$$\rho' \left[ \frac{l_2}{y} \right]^{\text{odd}} = \left( \omega \left[ \frac{l_1}{x} \right]^{\text{odd}} \right) \left[ \frac{l_2}{y} \right]^{\text{odd}} \cdot \Omega$$

$$\mu' \left[ \frac{12}{l_2} \right]^{\text{odd}} = \left( \omega \left[ \frac{10}{l_1} \right]^{\text{odd}} \right) \left[ \frac{12}{l_2} \right]^{\text{odd}} \cdot \Omega$$

$$\left( \omega \left[ \frac{l_1}{x} \right]^{\text{odd}} \right) \left[ \frac{l_2}{y} \right]^{\text{odd}} \cdot \Omega, \quad \left( \omega \left[ \frac{10}{l_1} \right]^{\text{odd}} \right) \left[ \frac{12}{l_2} \right]^{\text{odd}} \cdot \Omega$$

Sem<sub>dist</sub> int x = 10; int y = x + 2; ω.Ω ω.Ω

=  $\rho''$ ,  $\mu''$

NOTAZIONE pag. SUCCESSIVE

$\omega \left[ \begin{array}{c} l_1 \\ \diagdown \\ x \end{array} , \begin{array}{c} l_2 \\ \diagdown \\ y \end{array} \right]^{\text{add}}$

$\omega$   
 $\Omega$

y	l2
x	l1

$\rho''$

$\left( \omega \left[ \begin{array}{c} l_1 \\ \diagdown \\ x \end{array} \right]^{\text{add}} \right) \left[ \begin{array}{c} l_2 \\ \diagdown \\ y \end{array} \right]^{\text{add}}$

l2	12
l1	10

$\mu''$



# NOTAZIONE

Dato un frame  $f$

$$\left( f \left[ \frac{b}{a} \right]^{\text{odd}} \right) \left[ \frac{b'}{a'} \right]^{\text{odd}} =$$

$$f \left[ \frac{b}{a}, \frac{b'}{a'} \right]^{\text{odd}}$$

se  $a \neq a'$

# COMANDI

Com ::= Ide = Exp ; | *assegnamento*

if (Exp) Com else Com | *condizionali*

if (Exp) Com |

while (Exp) Com | *iterazione*

Block

*comando*

Block ::= { DecCom list }

ESEMPLI

$\left\{ \begin{array}{l} x = 10; \\ y = 12; \quad z = x + y; \end{array} \right\}$

blocco

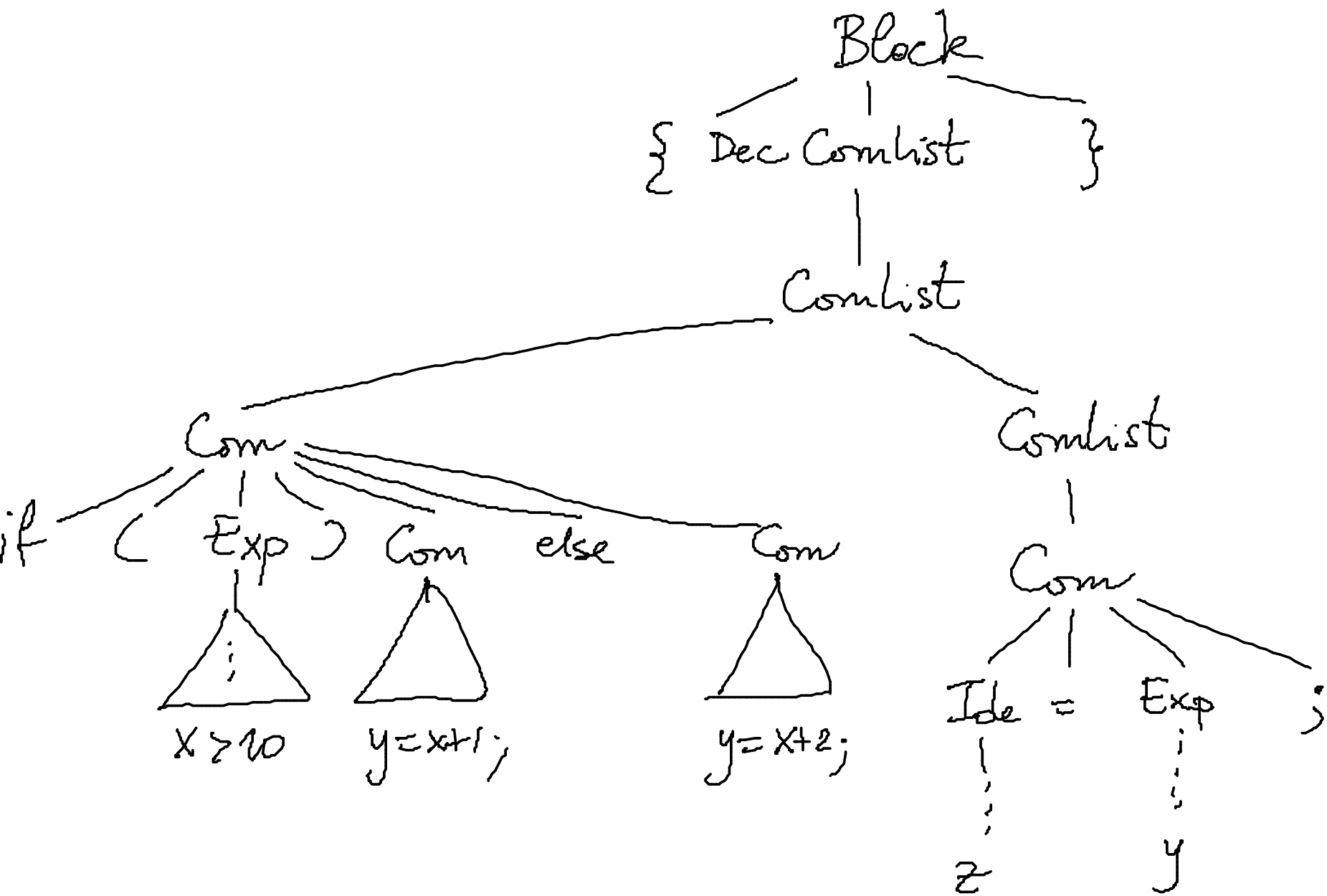
if  $(x > y)$   $z = x;$  else  $z = y;$

if  $(\text{Exp})$  Com else Com  
| |  
Ide = Exp; Ide = Exp;

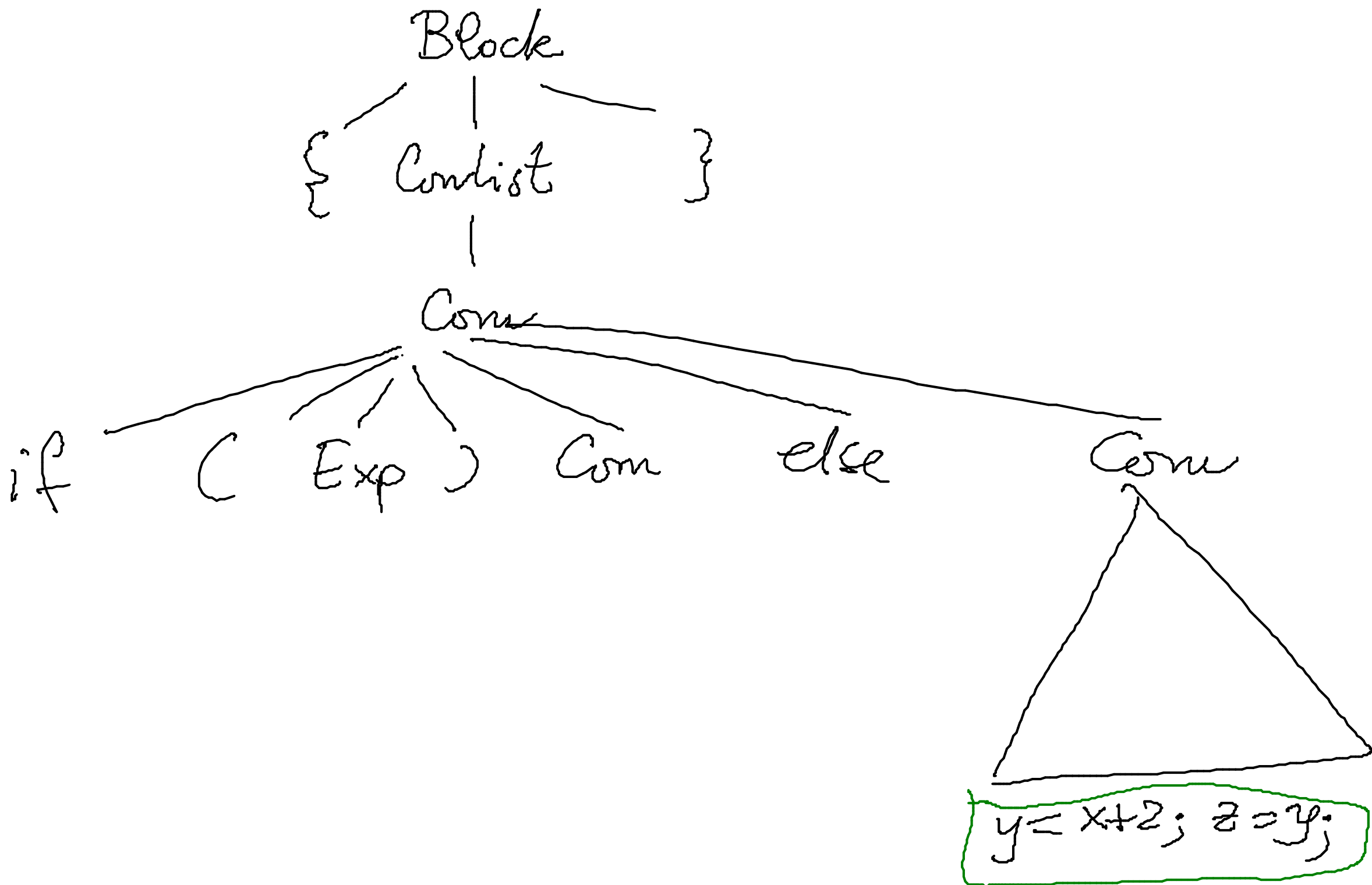
{ if (x > 10) y = x + 1; else y = x + 2; z = y; }

{ Comlist } quanti comandi ci sono ?

- 1            3 voti
- 2            tutti i voti
- 3            5 voti



Non esiste un albero di derivazione




Come faccio a eseguire una sequenza di comandi  
nel ramo then o nel ramo else di un  
condizionale ??

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if (x > 10) y = x + 1; else { y = x + 2; z = y; }
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Altro esempio:

```
if (x > 1) y = 10; if (x > 3) y = 20; else y = 30;
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# SEMANTICA COMANDI

$$\text{Sem}_c : \text{Com} \rightarrow P \rightarrow M \rightarrow M$$

i comandi  
modificano solo  
la memoria

$$\text{Sem}_c \underline{C} \text{ e } \mu = \underline{\underline{\mu'}}$$



$$\text{Sem}_c x = E; \rho \mu = \mu \left[ \begin{array}{c} v \\ \hline \rho x \\ \hline l \end{array} \right] \underline{\text{mod}}$$

dove

$$v = \text{Sem}_{\text{exp}} E \rho \mu$$

$$l = \underline{\underline{\rho x}}$$

## CONDIZIONALE

$Sem_c \text{ if } (E) \text{ } C1 \text{ else } C2 \text{ } \rho \mu = Sem_c \text{ } C1 \text{ } \rho \mu$

se  $Sem_{exp} \text{ } E \text{ } \rho \mu \neq \emptyset$  ( $\leftarrow$  true)

$Sem_c \text{ if } (E) \text{ } C1 \text{ else } C2 \text{ } \rho \mu = Sem_c \text{ } C2 \text{ } \rho \mu$

se  $Sem_{exp} \text{ } E \text{ } \rho \mu = \emptyset$  ( $\leftarrow$  false)

Sem<sub>c</sub> if  $(E) C \rho \mu = \text{Sem}_c C \rho \mu$

se  $\text{Sem}_{\text{exp}} E \rho \mu \neq \emptyset$

Sem<sub>c</sub> if  $(E) C \rho \mu = \mu$

se  $\text{Sem}_{\text{exp}} E \rho \mu = \emptyset$

guardia

# ITERAZIONE

corpo

$\text{Sem}_c \text{ while } (E) C \rho \mu = \mu$

se  $\text{Sem}_{\text{exp}} E \rho \mu = \emptyset$

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$\text{Sem}_c \text{ while } (E) C \rho \mu = \mu''$

se  $\text{Sem}_{\text{exp}} E \rho \mu \neq \emptyset$

$\text{Sem}_c \underline{C} \rho \mu = \mu'$

$\text{Sem}_c \text{ while } (E) C \rho \mu' = \mu''$