
The Fractal Model

Reflective components for configurable distributed systems

Jean-Bernard Stefani -- INRIA

(joint work with: E. Bruneton, T. Coupaye [Fractal], A. Schmitt [Kell Calculus])

Executive summary

- ❑ Programming for large scale, dynamic systems must be component-based programming
 - ◆ open systems, constantly evolving, many sources of functionality and service
 - ❑ Component (run-time entity)
 - = membrane + content
 - = object + reflection
 - ❑ No pre-defined semantics for component membranes and component bindings
 - ◆ component = composition operator
 - ❑ Components can be shared
 - ◆ DAG composition structures (not just trees)
 - ❑ A “Fractal semantics” can be formally defined
 - ◆ abstract co-algebraic one, more concrete operational one
-

Outline

- ❑ Motivations
 - ❑ Fractal: concepts & principles
 - ❑ Programming with Fractal: the Julia example
 - ❑ Kells: co-algebraic foundations for Fractal
 - ❑ Kell calculus: operational semantics for Fractal
 - ❑ Perspectives
 - ❑ Conclusion
-

Motivations

- ❑ Components for computing in the wide: a fact of life
 - ◆ plug-ins, xBeans, packages, COM & .Net, etc
 - ❑ Components: at the crossroad of multiple concerns
 - ◆ modularity
 - ◆ software architecture
 - ◆ unplanned software evolution
 - ◆ distribution
 - ◆ mobility
 - ◆ deployment
 - ◆ configuration management
-

Motivations

- ❑ Building dynamically configurable & manageable distributed systems
 - ◆ Applications & their software infrastructures (OS & middleware)
 - ◆ System software architecture
 - ✧ maintenance, reuse, design communication
 - ◆ Distributed dynamic configuration
 - ✧ distributed deployment, un-planned on-line system/software evolution, adaptive behavior, specialization and optimization
 - ◆ Control & management
 - ✧ instrumentation, monitoring & controlling behavior
 - ❑ Limitations in current component programming models & ADLs
 - ◆ limited support for extension and adaptation
 - ◆ fixed forms of composition
 - ◆ fixed forms of introspection & intercession (fixed MOPs)
-

Fractal

- ❑ A component model
 - ◆ for building dynamically reconfigurable distributed systems
 - ◆ programming language-independent
 - ◆ with lightweight implementations (C, C++, Java)
- ❑ Used in particular for building distributed systems infrastructures
 - ◆ operating systems
 - ◆ middleware (application servers, grids, etc)



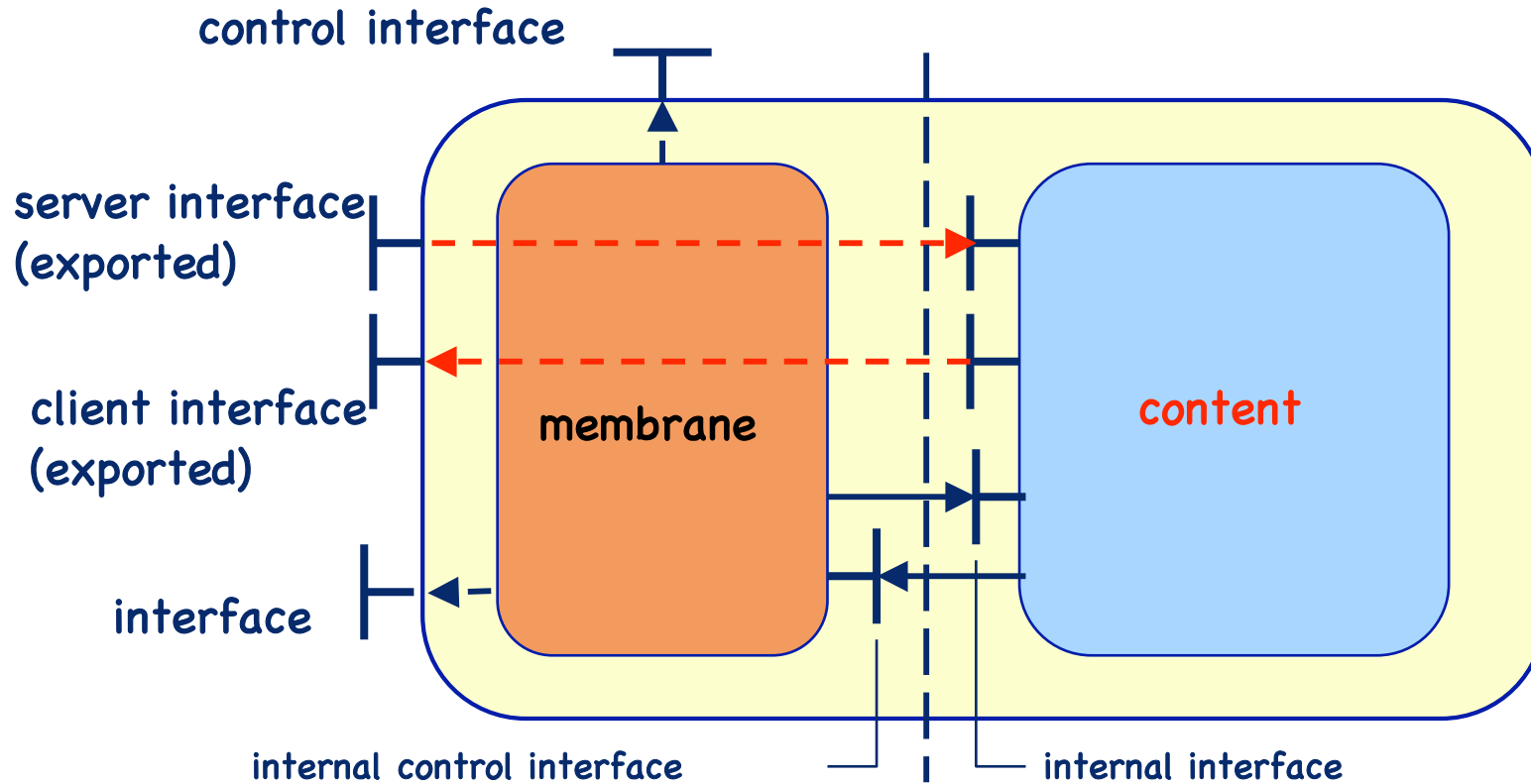
Fractal: « classical » concepts

- ❑ *Components* are runtime entities.
 - ◆ Not only design time or load time.
 - ❑ *Interfaces* are the only access points to components.
 - ◆ Interfaces emits and receives operation invocations.
 - ❑ *Bindings* can be primitive (in the same address space) or composite.
 - ◆ In the latter case, they are represented as components and bindings.
 - ◆ No fixed semantics for bindings.
-

Fractal: more original concepts

- A component comprises a *membrane* and a *content*
 - ◆ A membrane is made of *controllers*.
 - ✧ It can export control interfaces for some of these controllers.
 - ✧ The membrane exercises an arbitrary control over its content.
 - ✧ Components can export arbitrary details of their implementation.
 - ✧ No fixed meta-object protocol for component introspection & intercession
 - ◆ A content is made of other components.
 - ◆ A component *has* state.
 - Components can be *shared* by multiple enclosing components.
 - ◆ Shared components are crucial for modeling software architectures with resources.
-

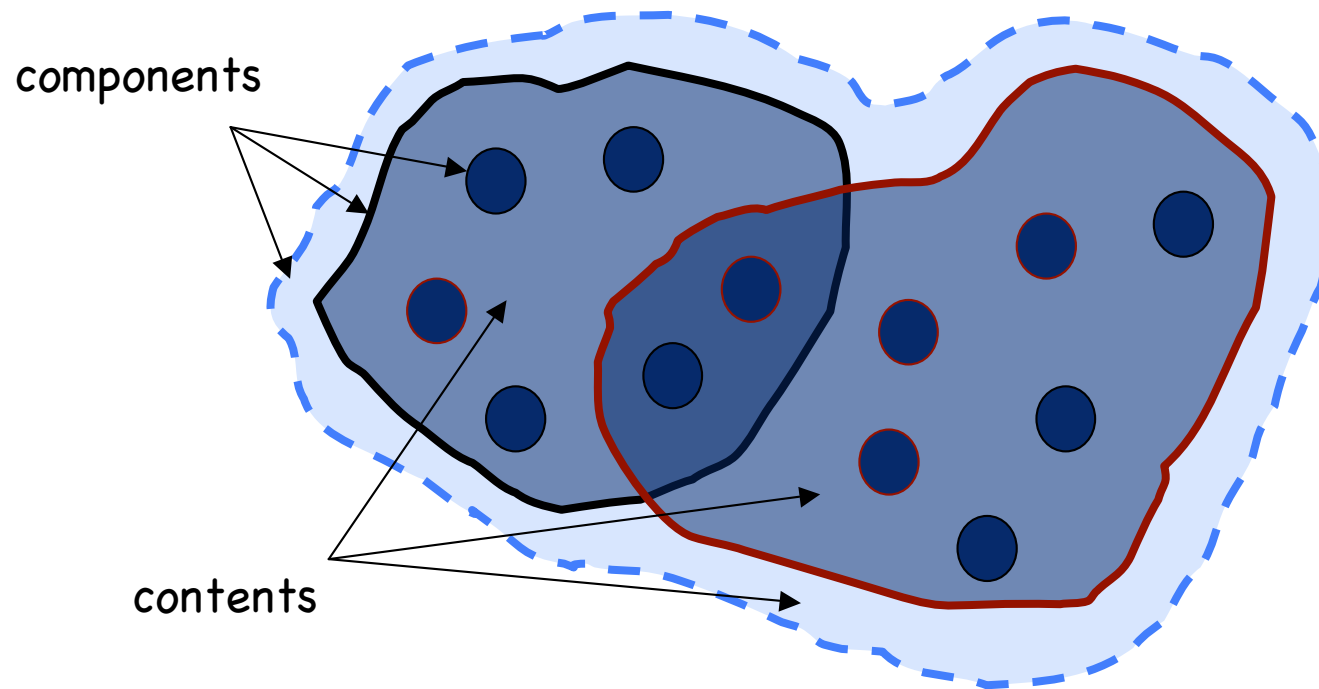
A Fractal Component



Fractal: concepts

- Structure of a component
 - ◆ interfaces: named access points (can be “client” or “server”)
 - ◆ membrane: set of controllers
 - ◆ controllers exercise arbitrary forms of control on the content of a component
 - ◆ controllers = meta-objects, meta-groups, advices
 - ◆ content: set of components
 - ◆ contents may overlap: sharing
 - Opaque membrane = no visible control: plain objects
 - ◆ dealing with legacy object-based systems
-

Component sharing



components

contents

Fractal: useful controllers

□ Minimal introspection:

- ◆ Component interface
- ◆ Interface interface
 - ✧ cf COM, IUnknown

□ Component introspection (I)

- ◆ Content controller
 - ✧ to add/remove sub-components
 - ◆ Attribute controller
 - ✧ to set/get component attributes
-

Fractal: useful controllers

□ Component introspection (II)

◆ Binding controller

- ✧ to set up/remove communication paths to/from component
- ✧ a “binding” between components:
 - a component
 - can have arbitrary communication semantics
- ✧ connecting components via a binding involves:
 - creating a binding (component)
 - using binding controllers on components to bind to set up ‘primitive bindings’ (e.g. language references) with binding (component)

◆ Lifecycle controller

- ✧ to start/stop a component
-

Fractal: additional elements

□ Instantiation

- ◆ Factories

 - ✧ esp. binding factories

- ◆ Templates: “homomorphic” factories

- ◆ Bootstrap: “well-known” generic factory

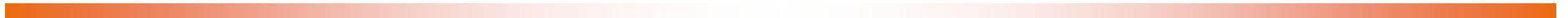
□ Simple type system

- ◆ Interface

- ◆ Component

Supporting the Fractal model

- General component structure
 - ◆ membrane = set of controllers
 - ◆ content = set of components
- No pre-determined control => support must facilitate the definition of membranes
 - ◆ library of controllers
 - ✧ default ones from Fractal specification
 - ✧ interceptors
 - ◆ ability to combine controllers
 - ✧ e.g. using mixins, components



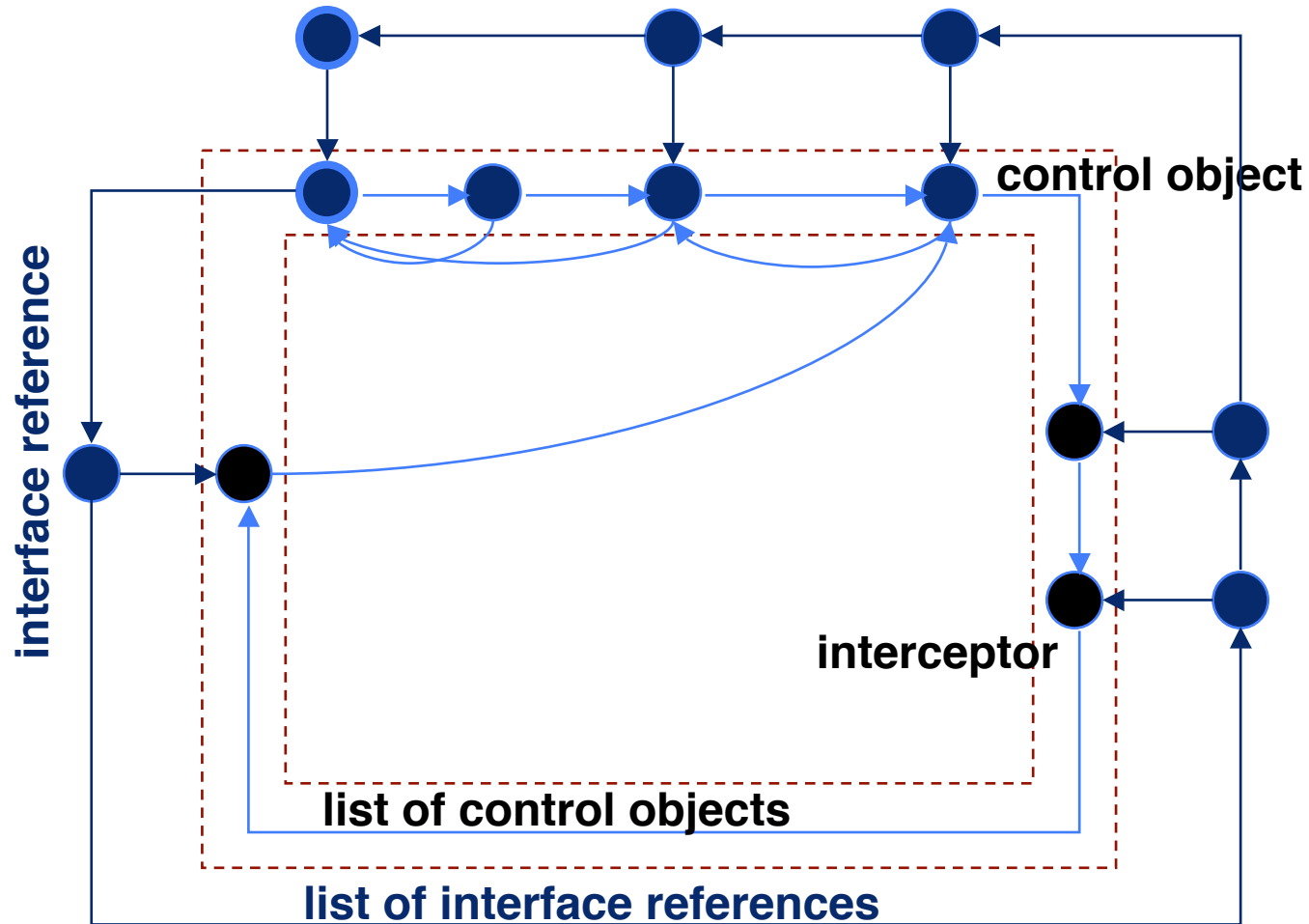
Supporting the Fractal model: Julia

□ Supporting Fractal in Java

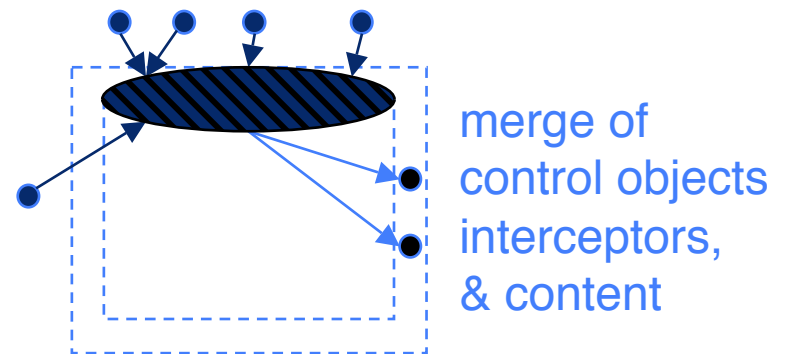
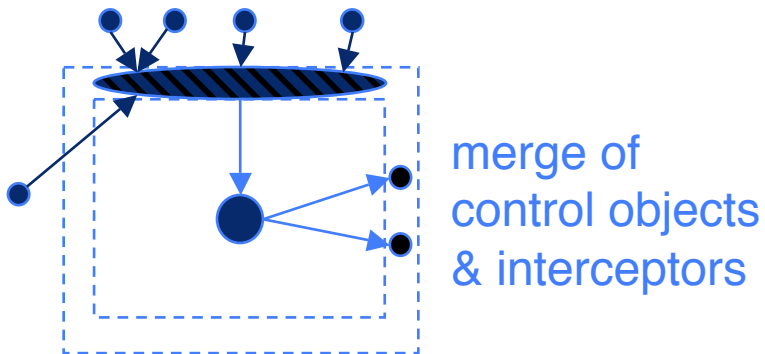
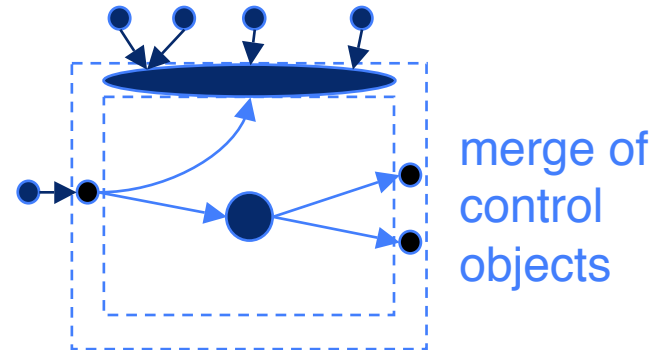
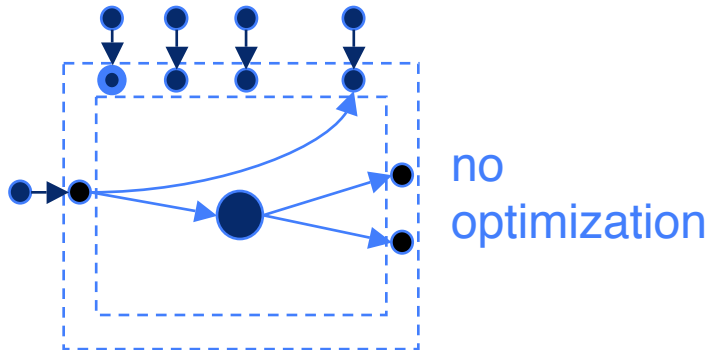
- ◆ primitive components defined by Java classes
- ◆ primitive bindings are Java references
- ◆ controllers are Java objects
- ◆ controller (mixin) classes can be combined at load-time using a byte-code generator



Julia: component structure



Julia: component structure



Fractal: Sample uses

- ❑ Operating system kernels
 - ◆ Think (FTR&D & INRIA Sardes)
 - ❑ Asynchronous middleware & communication subsystems
 - ◆ DREAM (INRIA Sardes)
 - ❑ Transaction management
 - ◆ GOTM, Jironde (LIFL-INRIA Jacquard, INRIA Sardes)
 - ❑ Persistency services
 - ◆ Speedo, Perseus (FTR&D, LSR)
 - ❑ Software architecture for Grid applications
 - ◆ Proactive (INRIA Oasis)
 - ❑ Self-adaptive structures
 - ◆ (EMN-INRIA Obasco)
-

Fractal foundations: Kells

- A kell interacts with its environment through signals
 - ◆ signal : [$m_1: v_1, \dots, m_k: v_k$]
 - ◆ m : label, v : argument
 - ◆ arguments can be names (e.g. labels), values and kells
 - The behavior of a kell is a collection of possible transitions
 - ◆ [content: $M_f(C)$, input: $M_f(S)$, output: $M_f(S)$, residue: $M_f(C)$]
 - ◆ content : finite multiset of kells
 - ◆ input : finite multiset of signals
 - ◆ output : finite multiset of signals
 - ◆ residue : resulting configuration (finite multiset of kells)
 - ◆ NB: 'the membrane is the kell'
-

Fractal foundations: Kells

□ A co-algebraic definition of kells

- ◆ characterize kells in a syntax-free manner
- ◆ use hypersets to get final models with a straightforward interpretation
- ◆ hypersets = non-well-founded sets (cf. Aczel, Barwise & Moss)
 - ✧ a system of equations is a tuple (X, A, e) , where X and A are 2 disjoint sets and $e : X \rightarrow P(X \cup A)$
 - ✧ AFA (Anti-Foundation Axiom): every system of equations (X, A, e) has a unique solution s



Hypersets

Examples

✧ streams : $X \rightarrow A \times X$

- $x = \langle a, y \rangle$ $y = \langle b, x \rangle$

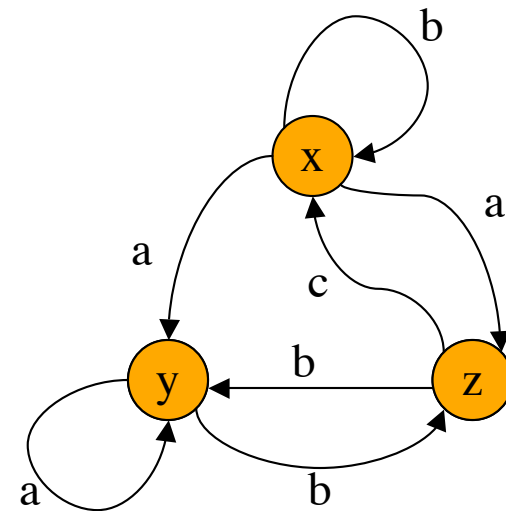
- $x = abab\dots$ $y = baba\dots$

✧ automata : $X \rightarrow P(A \times X)$

- $x = \{\langle a, y \rangle, \langle a, z \rangle, \langle b, x \rangle\}$

- $y = \{\langle a, y \rangle, \langle b, z \rangle\}$

- $z = \{\langle c, x \rangle, \langle b, y \rangle\}$



Coalgebras

□ Coalgebra

✧ An operator G on hypersets is monotone if for all a, b :

$$a \subset b \Rightarrow G(a) \subset G(b)$$

✧ A G -coalgebra is a pair $\langle X, e \rangle$ where X is a set, and e is a function

$$e : X \rightarrow G(X)$$

□ Final coalgebra theorem

Let G be a monotone operator. Then:

- ◆ G has a greatest fixed point G^* ,
- ◆ and every G -coalgebra has a unique solution in G^*



Kells: formal definition

□ Operator G (on hypersets)

- ✧ $G(X) = P(M_f(X) \times M_f(S) \times M_f(S) \times M_f(X))$
- ✧ $S = \bigcup_{k \in \mathbb{N}} (L \times D)^k$
- ✧ $D = L + V + X$ (names + values + kells)
- ✧ P : powerset M_f : finite multisets

□ A kell c is the unique solution of a pointed G -coalgebra, $\langle X, e, x \rangle$

- ✧ $\langle X, e \rangle$ is a G -coalgebra
 - ✧ x is an element of X
 - ✧ e is a set of (hyperset) equations: $e: X \rightarrow G(X)$
 - ✧ the solution of $\langle X, e, x \rangle$ is $s(x)$, where s is the solution of $\langle X, e \rangle$
-

Example kells

□ Simple objects

- ◆ empty content
- ◆ signal arguments : names and values only

□ Higher-order objects

- ◆ empty content

□ Components with interfaces

- ◆ named access points = receiving signals with target name argument

□ Meta-objects, meta-groups

- ◆ $M[c]$, $M[a_1, \dots a_n]$
 - ◆ M intercepts, introspects, etc.
-

Fraktal: Fractal & the Kell calculus

□ Kell calculus

- ◆ higher-order π + hierarchical localities + passivation
- ◆ a family of process calculi, parameterized by input patterns (μ)
- ◆ common syntax

$P, Q ::= \text{stop}$	-- inaction
x	-- process variable
$\text{new } a \text{ in } P$	-- restriction
$(\mu \Rightarrow P)$	-- input
$a \langle P \rangle . Q$	-- output
$(P \mid Q)$	-- parallel composition
$a[P].Q$	-- locality or <i>kell</i> (strong form)
$a\{P\}.Q$	-- locality (weak form)



Fraktal: Local programming

□ Messages: $a \langle l_1 \langle v_1 \rangle \mid \dots \mid l_n \langle v_n \rangle \rangle$

- ◆ a : channel (or interface, or port) name on which messages are sent and received
- ◆ l : parameter name
- ◆ v : parameter value
- ◆ v can be a name, or a program (including another message)
- ◆ Convention: $a \langle v_1; \dots ; v_n \rangle = a \langle l_1 \langle v_1 \rangle \mid \dots \mid l_n \langle v_n \rangle \rangle$

□ Triggers: $(\mu \Rightarrow P)$

- ◆ μ : input pattern; specifies messages to receive
 - ◆ P : program triggered on receipt of messages matching μ
-

Fraktal: Local programming

□ Standard π -calculus congruence rules apply

□ Operational semantics

$$M_1 \mid \dots \mid M_n \mid (\mu \Rightarrow P) \rightarrow P\{x_i := v_i\}$$

if M_1, \dots, M_n match μ

x_i are formal parameters of pattern μ

v_i are values extracted by μ from messages M_k

□ Note: replication can be encoded (standard)

◆ $(\mu \Rightarrow P) = \text{new } t \text{ in } t\langle Y_{\mu,P,t} \rangle \mid Y_{\mu,P,t}$

◆ $Y_{\mu,P,t} = (t\langle y \rangle \mid \mu \Rightarrow P \mid t\langle y \rangle \mid y)$



Fraktal: Components

- As in Fractal, components have a membrane and a content: $a[P \mid Q]$
 - ◆ $a[P \mid Q]$: component named “a”, with membrane “P”, and content “Q”
 - ◆ Q must take the form of a parallel composition of components, i.e. $Q = c_1[..] \mid \dots \mid c_n[..]$
 - ◆ P is an arbitrary program, e.g. P can be a parallel composition of components, or simple local programs
 - The construct $a[.]$ provides strong encapsulation
 - ◆ new a in $a[c[Q]]$ is a perfect firewall : Q cannot communicate with the environment surrounding a
-

Fraktal: Components

□ Patterns for communication across component

boundaries: $a\langle\dots\rangle^{up:u}$ and $a\langle\dots\rangle_{down:u}$

- ◆ $a\langle\dots\rangle^{up:u}$ matches a message of the form $a\langle\dots\rangle$ coming from the environment of the current component
- ◆ $a\langle\dots\rangle_{down:u}$ matches a message of the form $a\langle\dots\rangle$ coming from a subcomponent

□ Semantics

$$a\langle v \rangle \mid c[(a\langle z \rangle^{up:u} \Rightarrow P)] \rightarrow c[P\{u:=c, z:=v\}]$$
$$c[a\langle v \rangle \mid Q] \mid (a\langle z \rangle_{down:c} \Rightarrow P) \rightarrow c[Q] \mid P\{z := v\}$$


Fraktal: Components

□ Patterns for matching on sub-components

- ◆ $a[x]$: pattern that matches a sub-component named a
- ◆ Example: suspending and resuming a subcomponent "a":

$\text{Suspend} = (\text{suspend}\langle a \rangle \mid a[x] \Rightarrow c_a\langle x \rangle)$

$\text{Resume} = (\text{resume}\langle a \rangle \mid c_a\langle x \rangle \Rightarrow a[x])$

$\text{suspend}\langle a \rangle \mid \text{resume}\langle a \rangle \mid a[P] \mid \text{Suspend} \mid \text{Resume}$

$\rightarrow \text{resume}\langle a \rangle \mid c_a\langle P \rangle \mid \text{Resume}$

$\rightarrow a[P]$

Fraktal: Components

- ❑ In a component $a[P \mid Q]$, the membrane "P" may contain several constituent programs, running in parallel
- ❑ This is exactly as in Fractal, where a component may have several controllers and interceptors
- ❑ Note that the asymmetry between membrane "P" and content "Q" is present due to the constrained form of "Q"



Fraktal: Components

□ Programming Fractal-like controllers and interceptors

- ◆ interceptors: routing processes in membranes
- ◆ content controller: adding and removing subcomponents
 - ✧ the content Q of component $a[P \mid Q]$ is supposed to be composed of several components, i.e. $Q = c_1[.] \mid \dots \mid c_n[.]$.
 - ✧ P can maintain a list $\langle c_1, \dots, c_n \rangle$ of its subcomponents (e.g. as a message $\text{cons}\langle c_1; \text{cons}\langle \dots; \text{cons}\langle c_n; \text{nil} \rangle \dots \rangle \rangle$)
 - ✧ the content controller CC in P (i.e. $P = CC \mid T$, for some T), can be written

$$CC = \text{Add} \mid \text{Remove}$$
$$\text{Add} = (\text{add}\langle w; x \rangle^{\text{up}:y} \implies x \mid \text{addToList}\langle w \rangle)$$
$$\text{Remove} = (\text{rm}\langle w \rangle \mid w[y] \implies \text{rmFromList}\langle w \rangle)$$

Fraktal: Components

□ Programming Fractal-like controllers (bis)

- ◆ life-cycle : as in Fractal, allow for the suspension and resumption of sub-components
 - ✧ cf previous slide on suspension and resumption of sub-components
 - ✧ more sophisticated controls of life-cycle are possible
- ◆ binding controller : as in Fractal, put in place a local binding with an external component (typically a binding component)
 - ✧ assume the membrane P in component $a[P \mid Q]$ maintains a list of client interfaces
 - ✧ a binding controller BC in P can be written

$$BC = (\text{bindL}\langle a, w, x \rangle^{\text{up}:a} \mid \text{isClientItf}\langle w, t \rangle \implies Bc(w, x, t))$$

$$Bc(w, x, t) = (w\langle z \rangle^{\text{down}:t} \implies x\langle z \rangle)$$

Fraktal: Components

□ Binding factories and bindings between components

- ◆ Assume two components $a[..]$ and $e[..]$
 - ✧ Component a has a client interface of name c (i.e. a emits on channel c)
 - ✧ Component e has a server interface of name s (i.e. e receives on channel s)

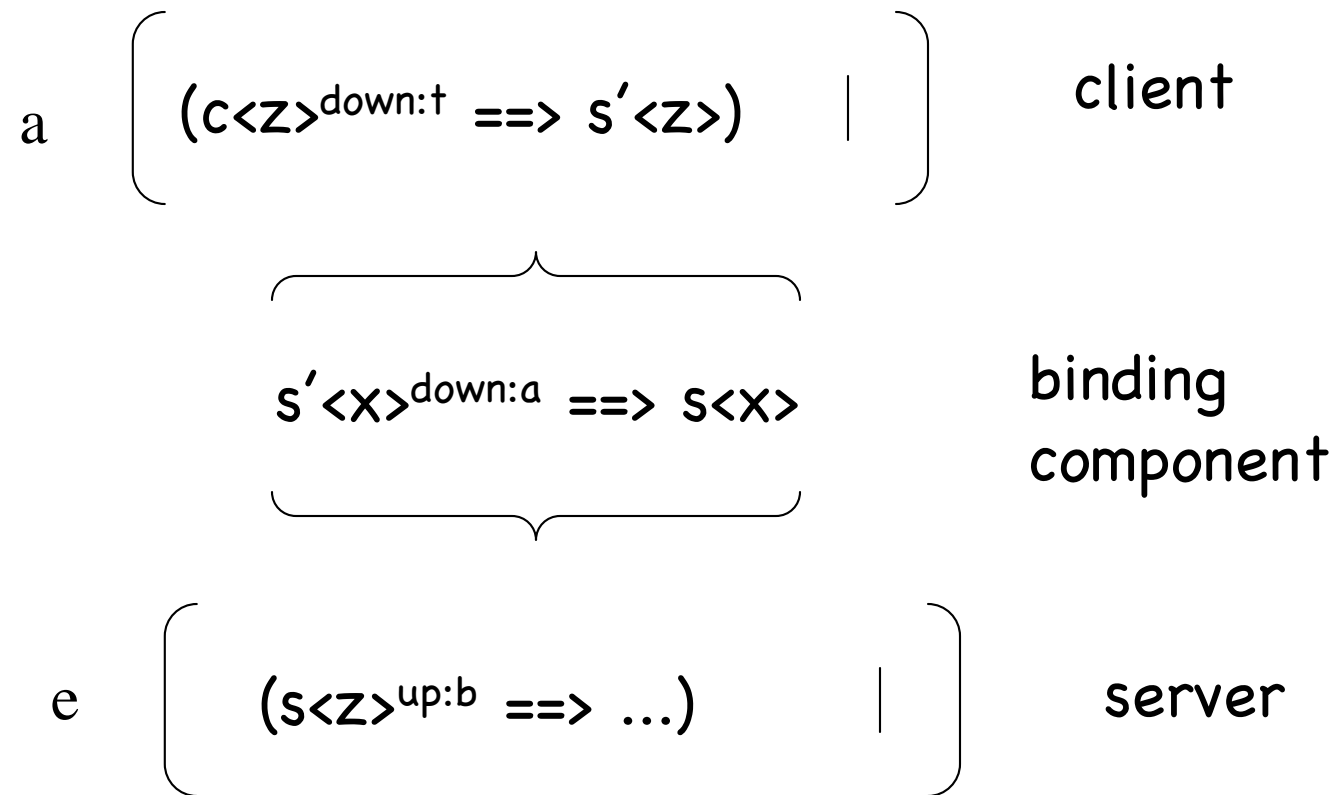
- ◆ A binding factory BF for creating bindings between a and e can be written as follows

$$\text{BF} = (\text{bindBF}\langle a, c, s \rangle \Rightarrow \text{new } s' \text{ in } B(c, s, s') \mid \text{bindL}\langle a, c, s' \rangle)$$

$$B(c, s, s') = (s' \langle x \rangle^{\text{down}:a} \Rightarrow s \langle x \rangle)$$

- ◆ BF creates a new binding between c and s
-

Fraktal: Components



Perspectives

- ❑ Bisimulation semantics for Fraktal
 - ❑ Type systems for Fraktal
 - ◆ e.g. adapting Hennessy & Yoshida process types
 - ❑ Dealing with sharing
 - ◆ early results obtained with D. Hirschhoff, T. Hirschowitz, D. Pous [GPCE 05]
 - ❑ Dealing with failures & recoverable actions
 - ◆ failure detectors, non-fail-stop models
 - ◆ combining micro(nano) reboot and transactions
 - ❑ Fraktal as a basis for a type-safe, dynamic ADL
 - ◆ also a primitive workflow language with reconfiguration capabilities
-

Conclusion

- ❑ Cf. executive summary + perspectives

- ❑ Not mentioned

 - ◆ extensible ADL

 - ◆ code packages as components

 - ◆ dynamic code evolution in Fractal/Java

 - ◆ towards Fractal v3:

 - ✧ combining Fractal & AOP, dynamic ADL, controller libraries, etc

- ❑ Links:

 - ◆ Web site: <http://fractal.objectweb.org>

 - ◆ mailing list: fractal@objectweb.org
