

Principles of Programming Languages [PLP]

Exercises on Code Generation and Optimization

1. Consider the three address code fragment to the right
 - a. Partition it in basic blocks showing the resulting Control Flow Graph
 - b. Show the dominator tree

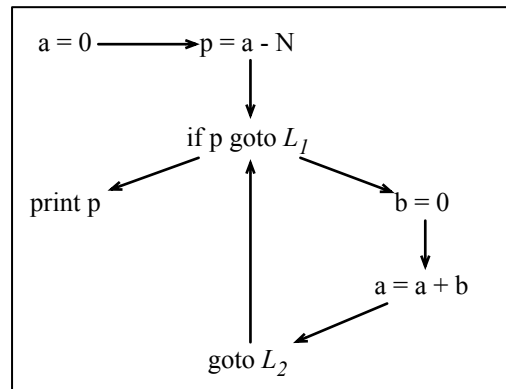
```
k := 4
n := 1
i := k + 7
if k > 0 goto L2
L1: i := i - 1
    n := 2 * n
    if i != 0 goto L1
    goto L3
L2: n := 2*k
L3: halt
```

2. Consider the pseudo code program to the right
 - a. Draw the Control Flow Graph representation of the program
 - b. Apply (global) liveness analysis to the CFG
 - c. Draw the *conflict graph* of the variables based on the live ranges, and determine the minimum number of registers needed execute the program without spilling during runtime
 - d. Assign registers to the variables **a** to **f**

```
begin
  a := readint();
  b := readint();
  c := a + b;
  if (a > b)
    d := c;
    e := 2;
    f := d + e;
  else
    d := 0;
    if (a == b)
      d := 1;
    endif
    e := 1;
    f := d + e;
  endif
  writeint(e);
  writeint(f);
end
```

4. A simple data flow analysis allows one to detect the arithmetic sign of the numeric variables in a program. This analysis associates each variable with an element in the set $\{+, -, 0\}$. For example, if a variable can only assume the values 0, 1, 2 and 3 during the execution of a program, then its *abstract state* is $\{0, +\}$.
- Design a set of transfer functions to compute this analysis. Assume that your underlying programming language has the instructions listed below to the left.
 - Show the result of the sign analysis you defined to the CFG below to the right.

- (a) $a = n, n \in N$
 (b) $a = b, \{a, b\} \subset Var$
 (c) $a = b - c, \{a, b, c\} \subset Var$
 (d) $a = b + c, \{a, b, c\} \subset Var$
 (e) $a = b \times c, \{a, b, c\} \subset Var$
 (f) if a goto $L_i, a \in Var, L_i \in Label$
 (g) goto $L_i, L_i \in Label$
 (h) print $a, a \in Var$



5. On the control flow graph to the right,

- execute *reaching definition analysis*, showing the resulting $IN[B]$ and $OUT[B]$ sets for each block B
- execute *available expression analysis*, showing the resulting $IN[B]$ and $OUT[B]$ sets for each block B .

