

let split l =

let f x y = match y with  
(l1, l2) → ...

Complex

in foldr f ([], []) l j;

→ let f x (l1, l2) =

if x < 0 then (x :: l1, l2)  
else (l1, x :: l2)

minmax

let rec minmax l =

match l with

[x] → (x, x)

| x :: y :: ys → let (m1, m2) = minmax (y :: ys)

in if x < m1 then (x, m2)

else if x > m2

then (m1, x)

else (m1, m2);;

minmax : 'a list → 'a \* 'a = <fun>

let minmax  $l =$

let  $f \times (m_1, m_2) =$

if  $x < m_1$  then  $(x, m_2)$

else if  $x > m_2$  then  $(m_1, x)$

else  $(m_1, m_2)$

in match  $l$  with

$x :: xs \rightarrow \text{foldr } f (x, x) xs ;;$

in foldr  $f (hd l, hd l) (Tl l)$

Date una liste di coppie di interi  
 Vogliamo la liste delle somme degli  
 elementi di ogni coppia

$$\text{sum} [(3, 5); (6, 3); (1, -2); (10, 1)] = \\
 [8; 9; \emptyset; 11]$$

let rec sum l =

match l with

[ ] → [ ]

| (x, y) :: xs → x + y :: sum xs;;

sum : (int \* int) list → int list = <fun>

con foldr

#let sum l =

let f (n,m) y = n+m :: y

in foldr f [] l ;;

sum : (int \* int) list → int list = ⟨fun⟩

cancello gli ultimi  $n$  elemente di  
una lista (se ci sono)

$$\text{conc } 3 \quad [1; 2; 3; 4; 5] = [1; 2]$$

$$\text{conc } 3 \quad [1; 2] = []$$

let rec len l =

match l with

$$[] \rightarrow 0$$

$$| x :: xs \rightarrow 1 + \text{len } xs;;$$

len : 'a list  $\rightarrow$  int

let rec conc n l =

match l with

$$[] \rightarrow []$$

$$| x :: xs \rightarrow \text{if } \text{len } (x :: xs) \leq n$$

then []

$$\text{else } x :: \text{conc } n \text{ } xs;;$$

$\text{conc} : \text{int} \rightarrow 'a \text{ list} \rightarrow 'a \text{ list}$

$\text{conc } 2 \ [3;4;5]$

$3 :: (\text{conc } 2 \ [4;5])$

$[]$

$3 :: [] = [3]$

let rec drop n l =  
 match (n, l) with  
 (0, l) → l

| (n, []) when n > 0 → []

| (n; x::xs) when n > 0 → drop (n-1) xs;;

drop: int → 'a list → 'a list = <fun>

let conc n l =

new (drop n (new l));;



funzione che cancella gli element in  
 fondo a una liste e mi dice  
 quanti ne ha cancellati:

let conc n l =

let rec conc\_n m l =

match l with

[ ] → ([ ], 0)

| x :: xs → let (l1, m) = conc\_n m xs

in if m < n

then (l1, m+1)

else (x :: l1, m)

m = n

in (let (l1, m) = conc\_n m l  
 in l1);

conc\_n 3 [1;2;3;4;5] = ([1;2], 3)

conc\_n 2 [1;2;3] = ([1], 2)

= let (l1, m) = conc\_n 2 [2;3]

$$= \text{let } (l_1, m) = \text{conc\_m } 2 \text{ } \overbrace{[\ ]}^{([\ ], 2)} \text{ } \overbrace{[2;3]}^{([\ ], 2)}$$

$$\text{in } \dots$$

$$([\ ], 2)$$

$$([\ ], 2)$$

$$l_1 = [\ ]$$

$$m = 2$$

$$\text{conc\_m } 2 \text{ } [2;3]$$

$$= \text{let } (l_1, m) = \text{conc\_m } 2 \text{ } \overbrace{[3]}^{([\ ], 1)}$$

$$\text{in } \dots$$

$$\underline{([\ ], 2)}$$

$$l_1 = [\ ]$$

$$m = 1$$

$$\underline{\text{conc\_m } 2 \text{ } [3]}$$

$$= \text{let } (l_1, m) = \text{conc\_m } 2 \text{ } \overbrace{[\ ]}^{([\ ], \emptyset)}$$

$$\text{in } \dots$$

$$([\ ], 1)$$

$$([\ ], \emptyset)$$

$$l_1 = [\ ]$$

$$m = \emptyset$$

$$\text{conc\_m } 2 \text{ } [ ]$$

$$= ([ ], \emptyset)$$

# let m = 5 in let m = 6 in M + m  
- ; int = 11

let f ---

in let m = f ---

in m ;  
//

conc n l      con folore

let conc n l =

let f x (l1, m) =

if m < n then (l1, m+1)

else (x :: l1, m)

in

folore f ([], 0) l ; ;

daì come risultato una copia

let (l1, m) = folore f ([], 0) l

in l1 ; ;

let conc  $n \ l =$

let  $f \ x \ (l1, m) =$

if  $m = \emptyset$  then  $(x :: l1, m)$   
else  $(l1, m-1)$

<sup>in</sup> let  $(l1, m) = \text{foldr } f \ (\ [], m) \ l ; ;$   
in  $l1 ; ;$

---

match  $l$  with

$x :: xs$

↑

match  $l$  with

$l1 @ l2 \rightarrow$

==

no

$l1 @ []$

↑

no!

Cancellare tutti gli elementi che seguono l'ultima occorrenza del valore  $\emptyset$ . Se  $\emptyset$  non occorre si

Cancellano tutti gli elementi

conc  $[1; \emptyset; 2; 3; \emptyset; 10; 2] = [1; \emptyset; 2; 3; \emptyset]$

conc  $[1; 2; 3] = []$

let rec member el l =

match l with

$[] \rightarrow \text{false}$

$| x :: xs \rightarrow \text{if } x = \text{el then true}$

else member el xs ;;

member: 'a  $\rightarrow$  'a list  $\rightarrow$  bool = (fun)

let rec conc l =

match l with

$[] \rightarrow []$

$| x :: xs \rightarrow \text{if member } \emptyset \ x :: xs$

then conc xs

else [] ;;

che [ ] ;)